



# Automatic phase calibration for RF cavities using beam-loading signals

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- Recalibration requires machine studies which reduces up-time
- Develop a scheme that uses beam-loading signals in the cavities to determine the synchronous phase of the beam parasitically to machine operation

# Automatic calibration scheme

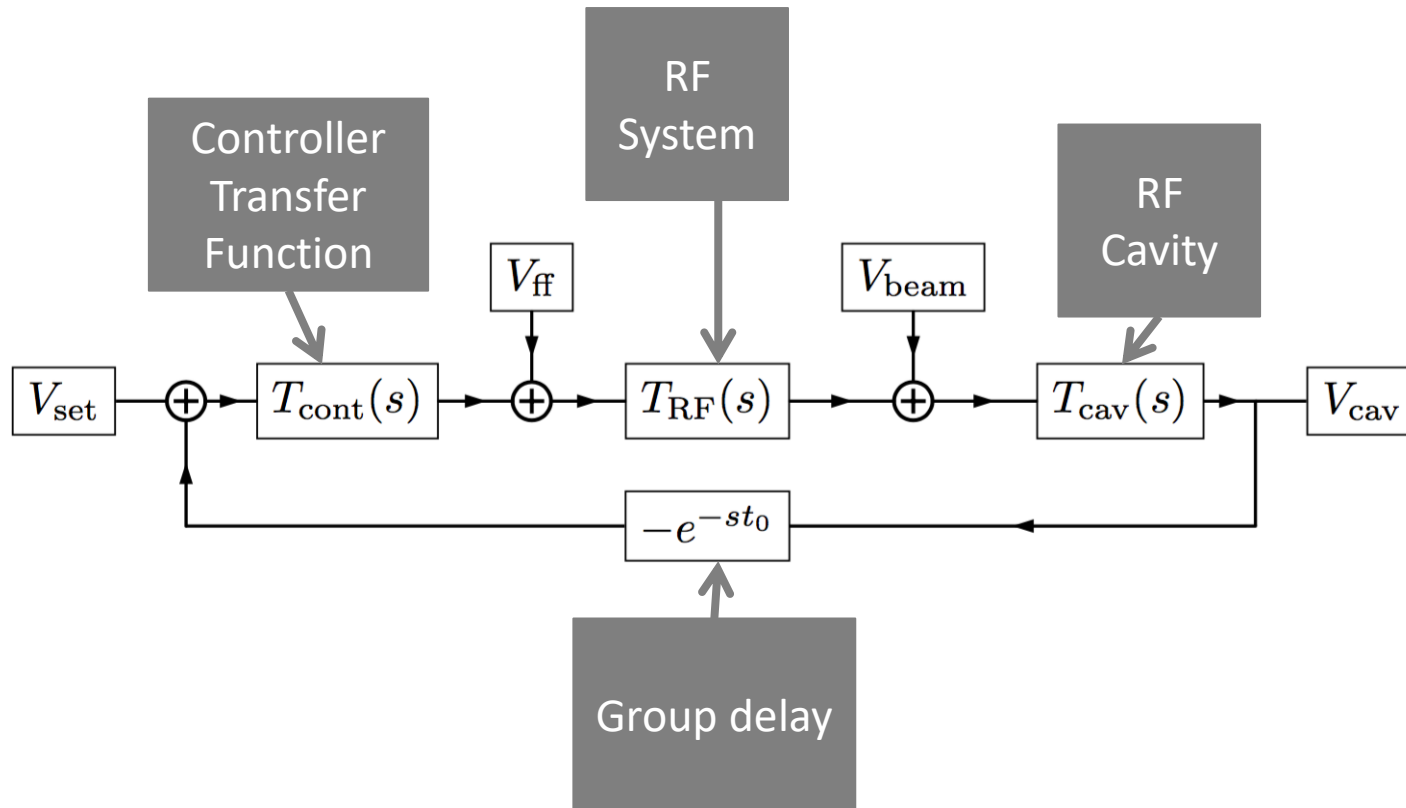
- Turn off feed-forward beam loading compensation and measure the beam loading transient
- Calculate the beam phase relative to the RF
- Adjust the cavity phase calibration accordingly
  - Note that this is for individually controlled cavities



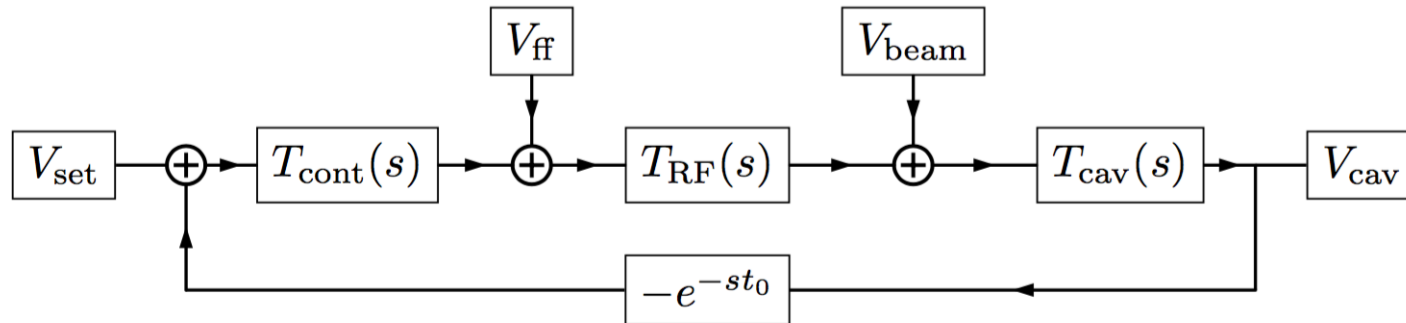
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- Assumptions
  - Amplifiers are operating in the linear regime
  - Disturbances other than beam-loading (microphonics, LFD, etc.) are small or slow relative to the timescale of the response due to beam-loading
  - Loop phase and gain are calibrated

# Block diagram of model



# Block diagram of model



- Use the block diagram to compute the system transfer function

$$V_{\text{cav}} = (V_{\text{set}}T_{\text{RF}}(s)T_{\text{cont}}(s) + V_{\text{ff}}T_{\text{RF}}(s) + V_{\text{beam}}) \left( \frac{T_{\text{cav}}(s)}{1 + T_{\text{cav}}T_{\text{RF}}(s)T_{\text{cont}}(s)e^{-st_0}} \right)$$

- Beam loading is linearly independent from changes to the set-point and feed forward

# Calculating Beam Phase

- Using the system transfer function model:

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- Casting in a simpler form

$$V_{\text{cav}} = V_{\text{set}}F(s) + V_{\text{ff}}G(s) + V_{\text{beam}}H(s)$$

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- Casting in a simpler form

$$V_{\text{cav}} = V_{\text{set}}F(s) + V_{\text{ff}}G(s) + V_{\text{beam}}H(s)$$

- Convert to time domain

$$V_{\text{cav}}(t) = V(0) + \int_{-\infty}^{\infty} I_{\text{beam}}I(t)H(t - \tau)d\tau$$

# Calculating Beam Phase

- Using the system transfer function model:

$$V_{\text{cav}}(t) = V(0) + \int_{-\infty}^{\infty} I_{\text{beam}} I(t) H(t - \tau) d\tau$$

- Solve for beam current

$$I_{\text{beam}}^Q = \frac{V_{\text{cav}}^Q(t) - V^Q(0)}{\int_{-\infty}^{\infty} I(t) H(t - \tau) d\tau}$$

Measurement

Unknown function

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Measurement  $\swarrow$   
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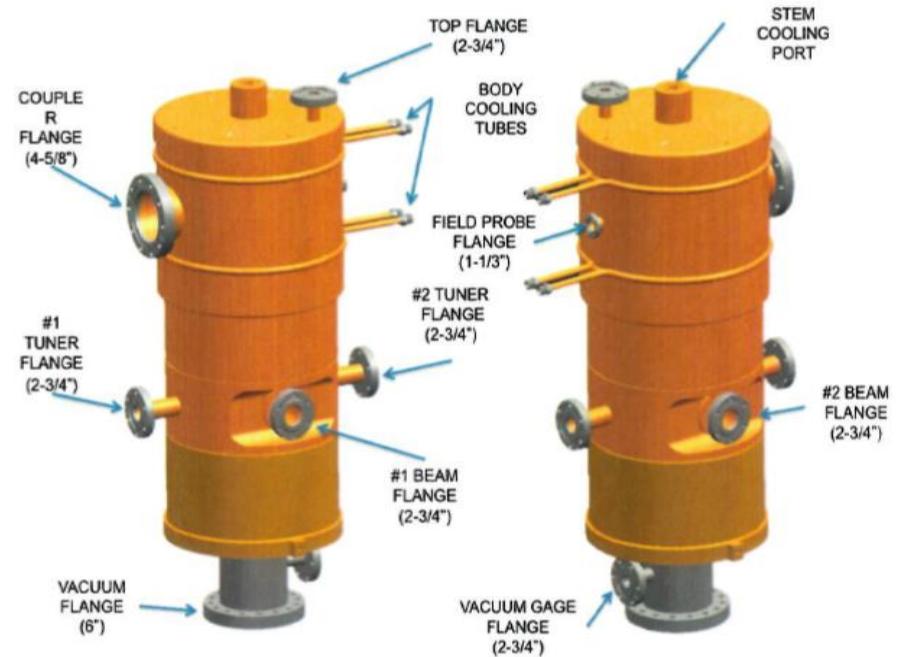
Can integrate to improve SNR

$$\phi_{\text{beam}} = \tan^{-1} \left( \frac{I_{\text{beam}}^Q}{I_{\text{beam}}^I} \right) = \tan^{-1} \left( \frac{\boxed{V_{\text{cav}}^Q(t) - V^Q(0)}}{\boxed{V_{\text{cav}}^I(t) - V^I(0)}} \right)$$

$\swarrow$

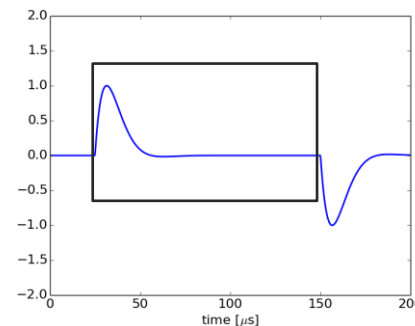
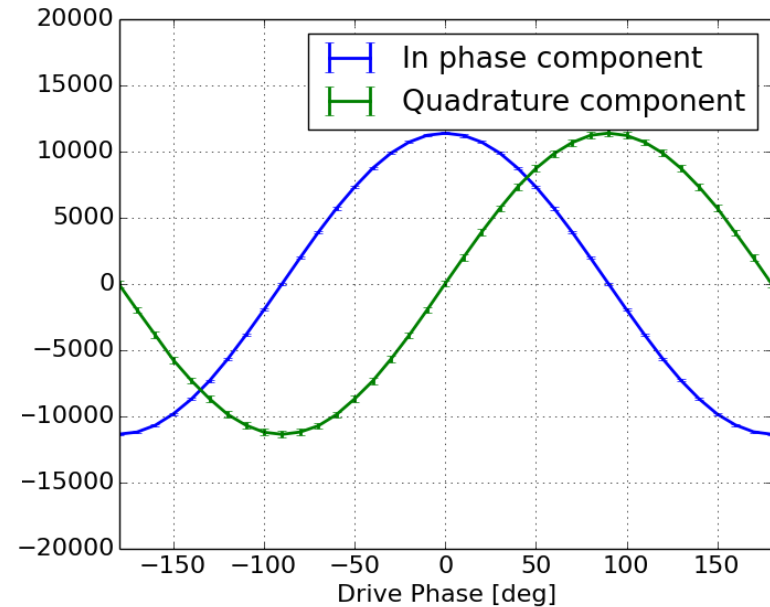
# Proof of principle test: 162.5 MHz bunching cavity

- 162.5 MHz cavities
  - 2 gap quarter wave resonator
  - Loaded Q ~5000
  - $r/Q \sim 600$
- Pulsed and CW operation
- Operating voltage is 50-100 kV (peak energy gain)
- Beam energy is 2.1 MeV
- Beam loading voltage is ~ 15 kV



# Proof of principle results: ideal beam loading

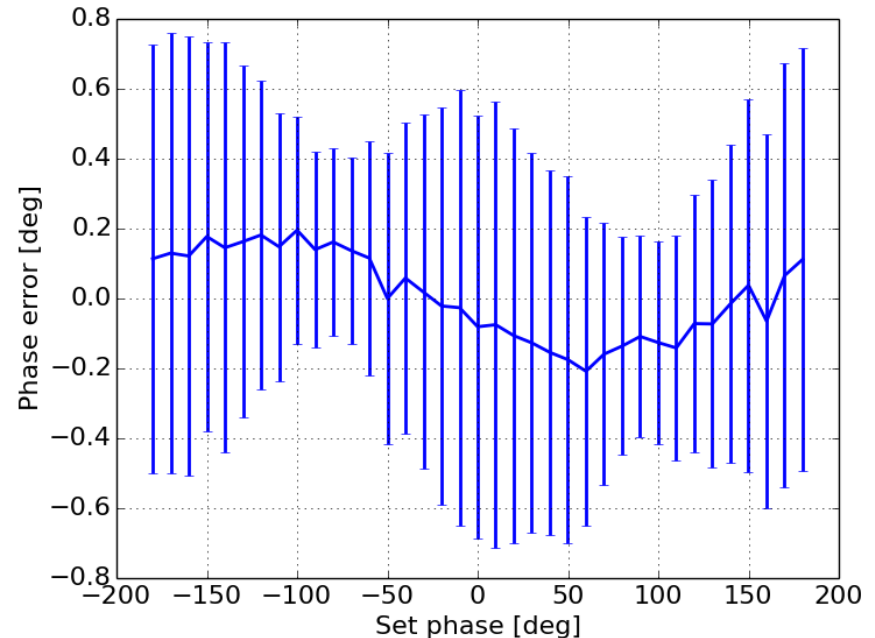
- Perform a phase scan with feed-forward disturbance using the LLRF system
- Use the field in the cavity to calculate the phase of the disturbance
- Compare the calculated phase with the set phase of the disturbance



Measurements of cavity disturbance due to LLRF driven disturbance as a function of drive phase

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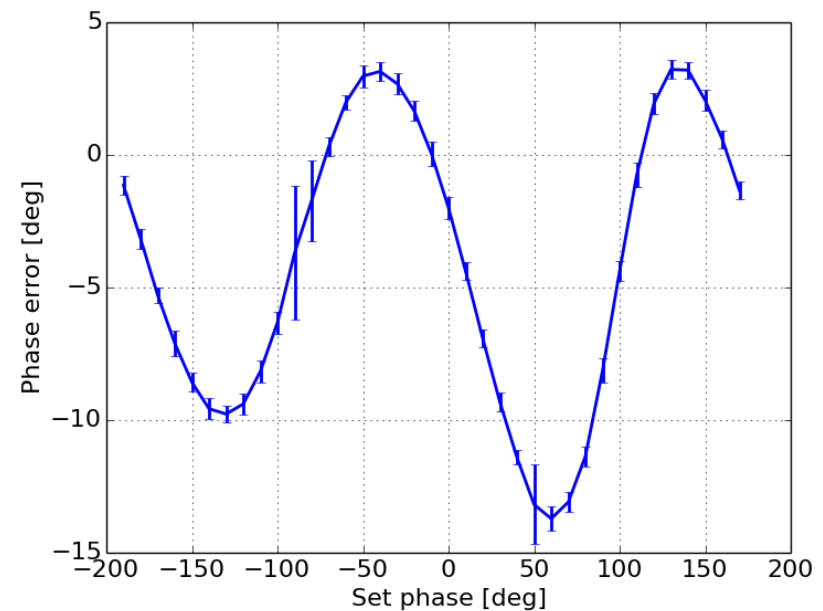
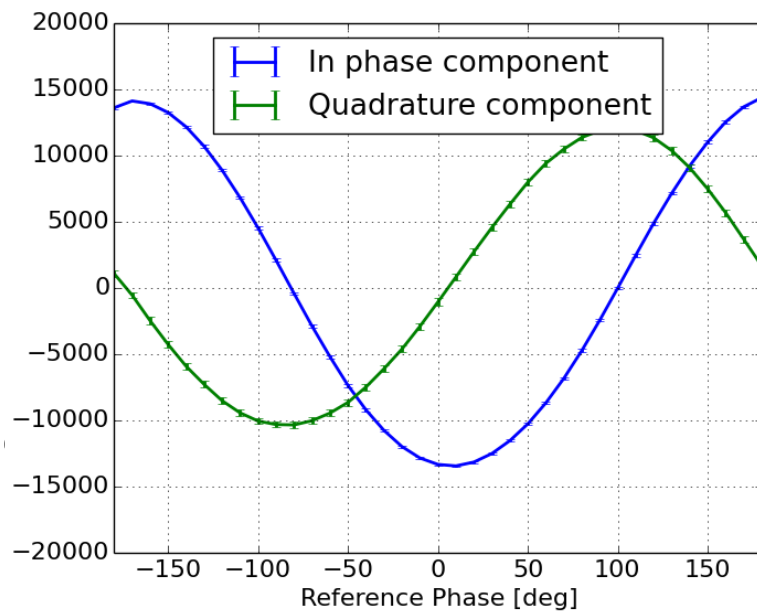
Difference between the calculated phase of the beam-like disturbance and the drive phase of the disturbance. Errors likely due to crosstalk.

# Proof of principle: real beam loading

- The feed-forward disturbance should be a good approximation of a real beam loading disturbance
- Results with the feed-forward disturbance were promising

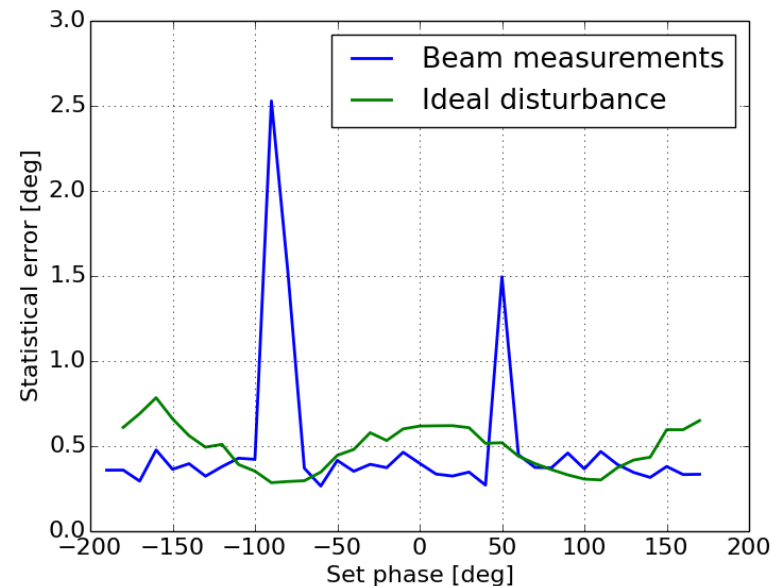
# Proof of principle: real beam loading

- The feed-forward disturbance should be a good approximation of a real beam loading disturbance
- Results with the feed-forward disturbance were promising
- However, tests with real beam-loading did not perform as expected



# Proof of principle: real beam loading

- Statistical errors are similar for the two tests
  - Wobble in ideal disturbance suspected to be caused by cross talk
  - Large deviations in beam phase measurements cause by beam dropout



## Summary and next steps:

- We have a technique that should in principle be able to determine the beam phase relative to the RF to approximately 0.5 degrees



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  - Unknown source of the errors: Low-beta effects, geometry issues?
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  - Extend to amplitude calibration
  - Include detuning subtraction

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- Future plans
  - Extend to amplitude calibration
  - Include detuning subtraction
- Open to suggestions and discussion

**Thank you!**