

LHC LLRF UPGRADE: CAVITY PHASE MODULATION TO REDUCE KLYSTRON POWER IN PHYSICS

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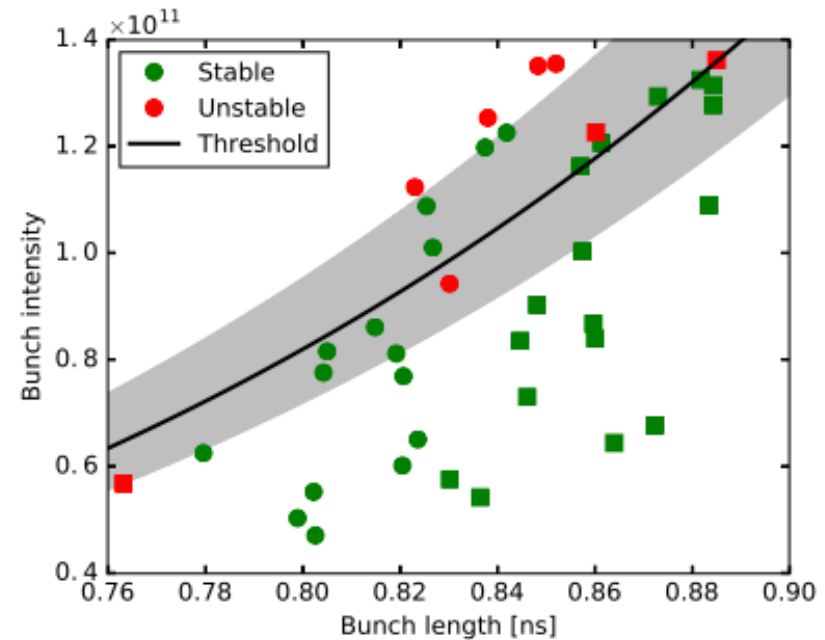
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Outline

- Motivation
 - Why and what voltage in an Hadron collider?
 - Why do we have to compensate for beam loading?
- Beam loading compensation strategies
- Minimizing klystron power. Exact solution
- Mean power during fill
- RF performances
- Feedback from the LHC experiments
- Conclusions

Voltage in an Hadron collider. Why?

- In physics (constant energy), the power lost by synchrotron radiation is very small in hadron colliders. In the LHC it is 15 keV/turn at 7 TeV
- In high intensity machines, **collective effects dominate**: The required RF voltage is derived from the required longitudinal emittance (< bucket area) that will keep the beam stable
- In the LHC the longitudinal stability is governed by wide-band machine impedance (single bunch effect)
- The estimated Imaginary part of the wide-band impedance is 0.065 ohm [1]
- **The HiLumi bunch intensity** ($2.2 \cdot 10^{11}$ p/bunch, $\tau=1$ ns) **will be unstable if $V < 12$ MV.**

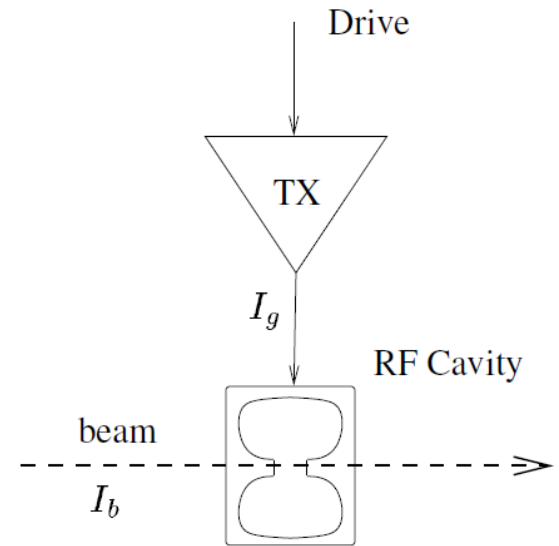


LHC single bunch instability
threshold: 6.5 TeV, 12 MV. [2]

$$\frac{|\text{Im} Z|}{n} < \frac{|\eta| f_{rev}}{eF \beta^2} \frac{1}{I_b} \frac{\Delta E^2}{E} \left[\frac{\Delta \Omega_s}{\Omega_s} \right] \tau$$

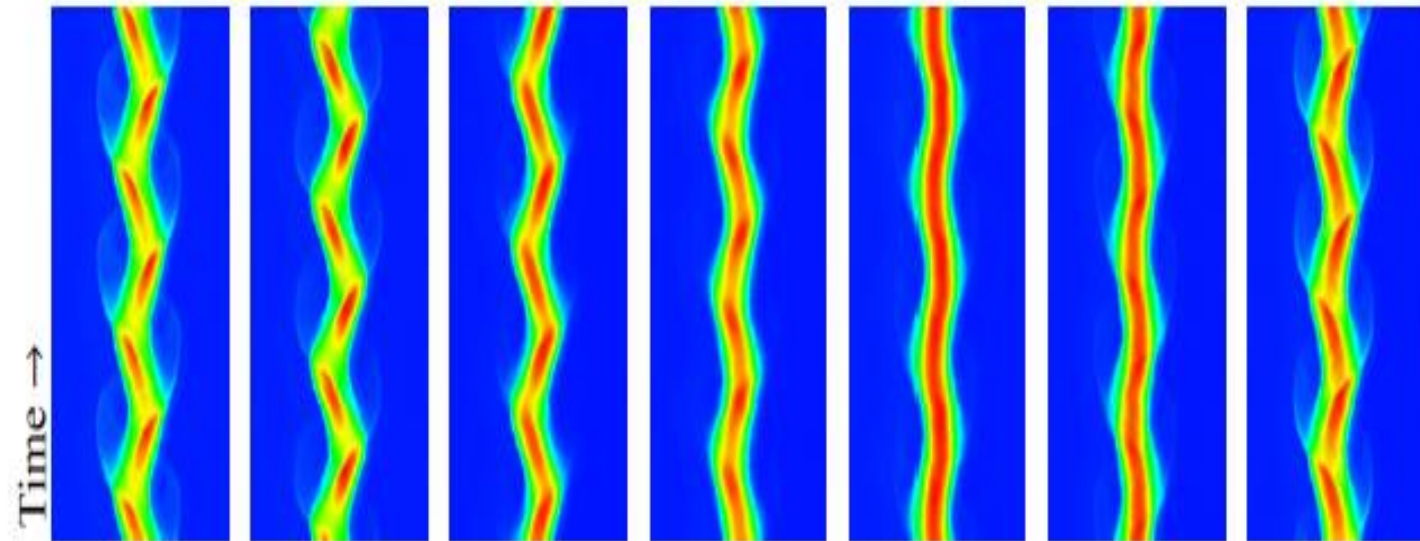
Beam loading

- **Beam**= charged particles in motion = **current**
- **Cavity**=resonant **impedance**
- **Beam Crossing the cavity** -> Beam induced electromagnetic wave called **wakefield**
- The total voltage seen by the beam is the **vector sum** of the voltage due to the **generator** and the **beam loading**
- If the **wakefield** created by the passage of the bunch in the cavity has not decayed to zero by the next passage, it will **act back on the bunch**
- If the gain/phase shift of this natural beam/cavity feedback is **unfavorable**, **instability** will arise: The bunch starts oscillating in the bucket
- The situation gets worse if we have **many bunches in the machine**. The wakefield created by one bunch will act on the following one when it crosses the cavity, thereby creating coupling between the synchrotron oscillations of the individual bunches
- This effect, very important in high intensity synchrotrons, can lead to **coupled-bunch longitudinal instability**



Longitudinal Coupled-Bunch Instability

From H. Damerau [3]

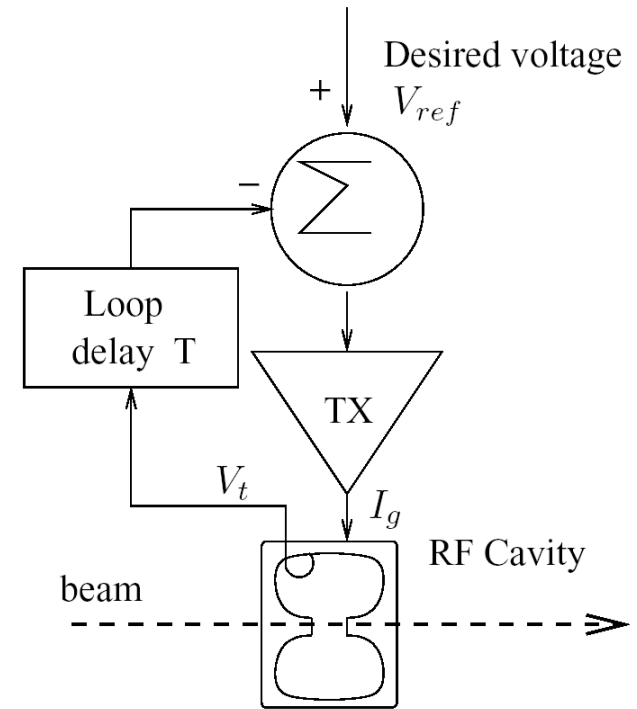


Conclusion:

- We need RF voltage in Hadron collider...
-and we need to compensate for beam loading.

Beam Loading Compensation

- CBI can come from all sorts of narrow-band impedances around the machine (discontinuities in vacuum pipe, or HOMs – from cavities or kickers)
- But when the cause is the cavity around fundamental, the LLRF can help much...and very economically
- The LLRF must “discipline” the total cavity voltage, thereby reducing the effective impedance, that is the ratio of $\Delta V/I_b$
- It must impose a field (Desired Voltage) and fight against the beam induced perturbation
- A classic method is the use of a feedback loop around TX-Cavity [4]



RF or Direct Feedback

Desired voltage. Two options

- Brute-force discipline

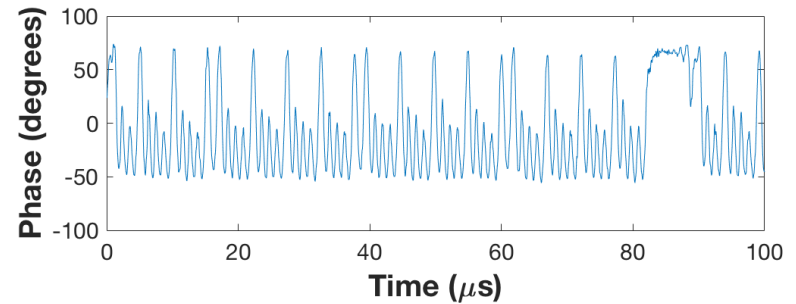
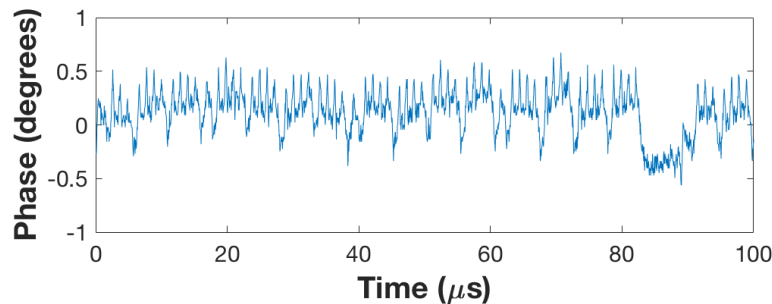
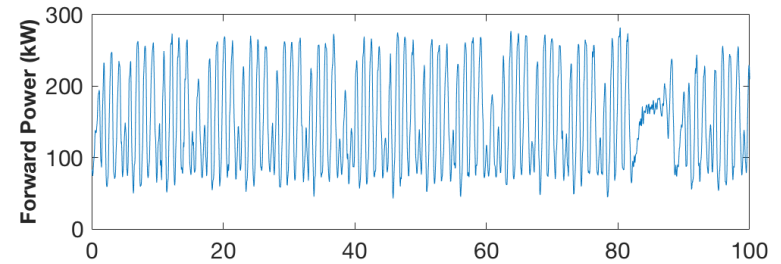
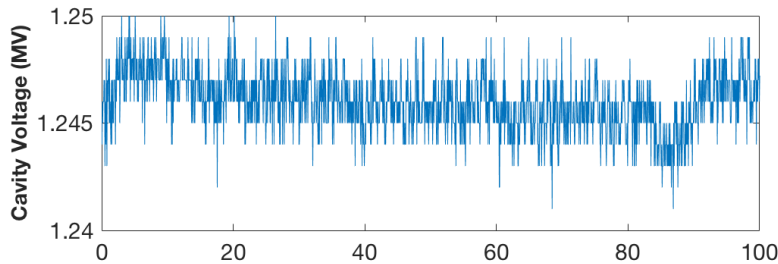
- Keep voltage constant during one turn in both amplitude and phase
- Good for beam parameters (all bunches identical)
- Very demanding in RF power as the klystrons must compensate for the beam current transients
- **Power scales linearly with beam current**
- Used in most high intensity synchrotrons since late 80s [5]

- Psychology

- *Manipulate* the beam by imposing a voltage that matches the beam-induced modulation [6]
- Keep voltage amplitude constant during one turn (identical momentum spread, synchrotron frequency, IBS,...)
- Enforce the exact phase modulation that the beam creates (modulation of bunch spacing)
- **Power is independent of beam current!**
- Very economical in RF power

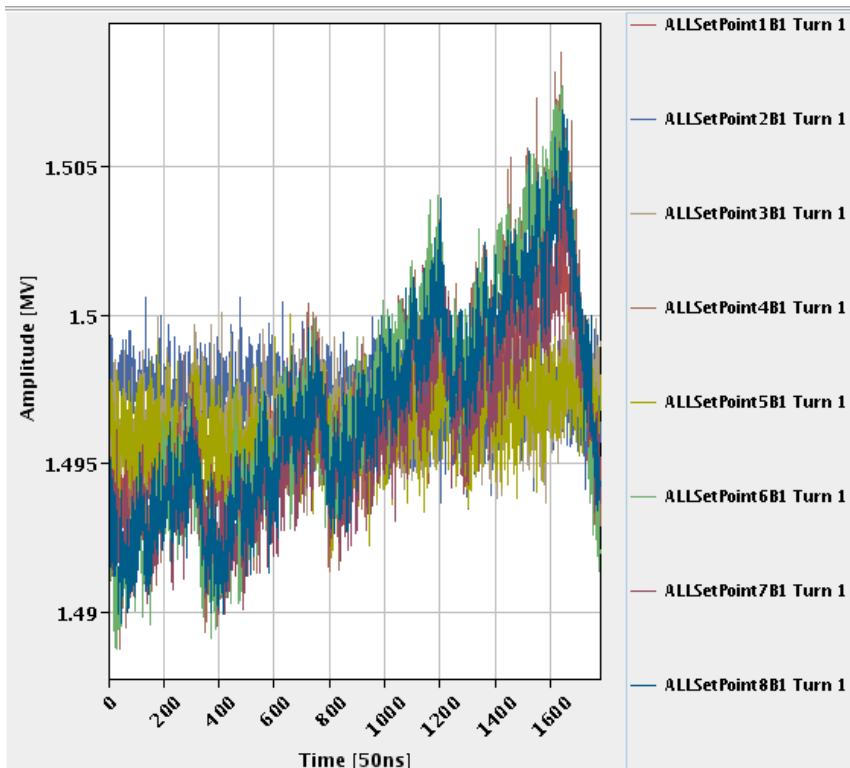
Brute-force discipline. 2016 situation

2244 bunches, 25 ns spacing, $1.2E11$ p/bunch, 6.5 TeV

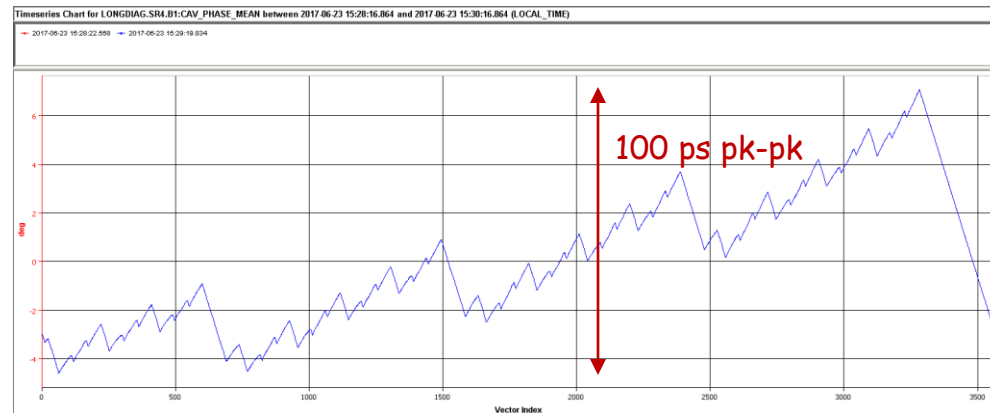


- The cavity voltage and phase are kept constant during one turn (0.4% in amplitude, 1 RF degree in phase). Left plots
- Very demanding in RF power as the klystrons must compensate for the beam current transients. Right plots
- Klystron power toggles between 80 kW and 250 kW
- Dynamic situation: Strong peaks during the beam to no-beam transients

Phase Modulation. 2017 situation

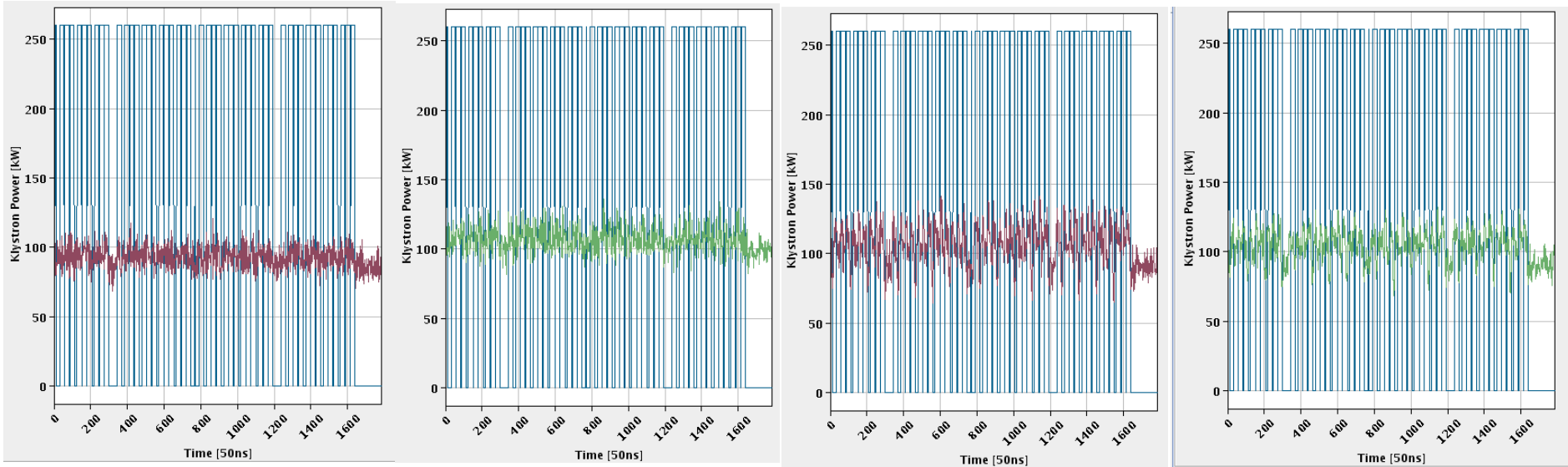


Fill 5864, 2371 bunches, 25 ns spacing, $1.1E11$ p/bunch, 6.5 TeV



- The cavity voltage is kept (almost) constant in amplitude. Left: 10 kV pk-pk compared to 1.5 MV
- The cavity phase is modulated along the turn (right).

Phase Modulation. 2017 situation



2371 bunches, 25 ns spacing, $1.1E11$ p/bunch, 6.5 TeV

- Klystron power modulation during one turn for B1 klystrons 1 to 4
- The transients between beam and no-beam segments are barely visible
- Small noticeable difference during the abort gap (no-beam)

Minimizing klystron power. Exact solution

- We keep cavity voltage amplitude V_0 constant, but accept a phase modulation
- We assume that the beam current $I_b(t)$ is in quadrature with cavity voltage (almost 180° stable phase in physics). Then the required klystron power can be written [7]

$$P(t) = \frac{1}{2} R/Q Q_L |I_s(t)|^2 = \frac{V_0^2}{8R/Q Q_L} + \frac{1}{2} R/Q Q_L \left[-\frac{V_0}{R/Q} \frac{\Delta\omega}{\omega} + \frac{V_0}{\omega R/Q} \frac{d\varphi}{dt} - \frac{1}{2} i_b(t) \right]^2$$

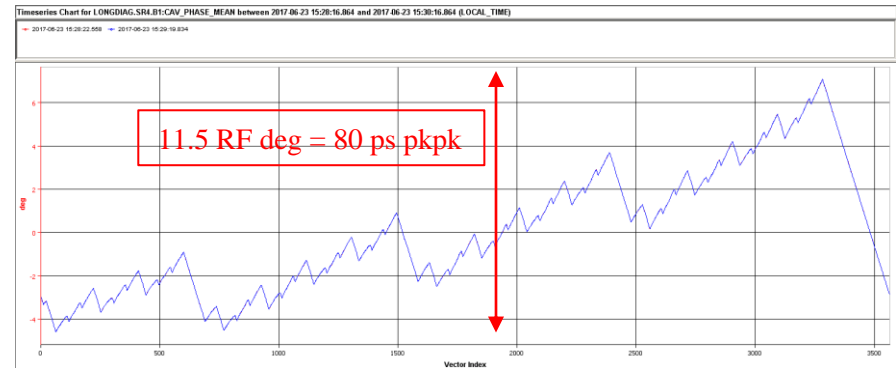
- The instantaneous demanded power will be minimal (and constant) if the derivative of the voltage phase modulation is proportional to the envelope of the beam current $i_b(t)$ [7]

$$\frac{d\varphi}{dt} = -\Delta\omega_{opt} \frac{i_b(t) - \overline{I_b}}{\overline{I_b}}$$

$$\Delta\omega_{opt} = -\frac{1}{2} \frac{R/Q \omega}{V_0} \frac{\int_u^{u+T_{rev}} i_b(t) du}{T_{rev}} = -\frac{1}{2} \frac{R/Q \omega}{V_0} \overline{I_b}$$

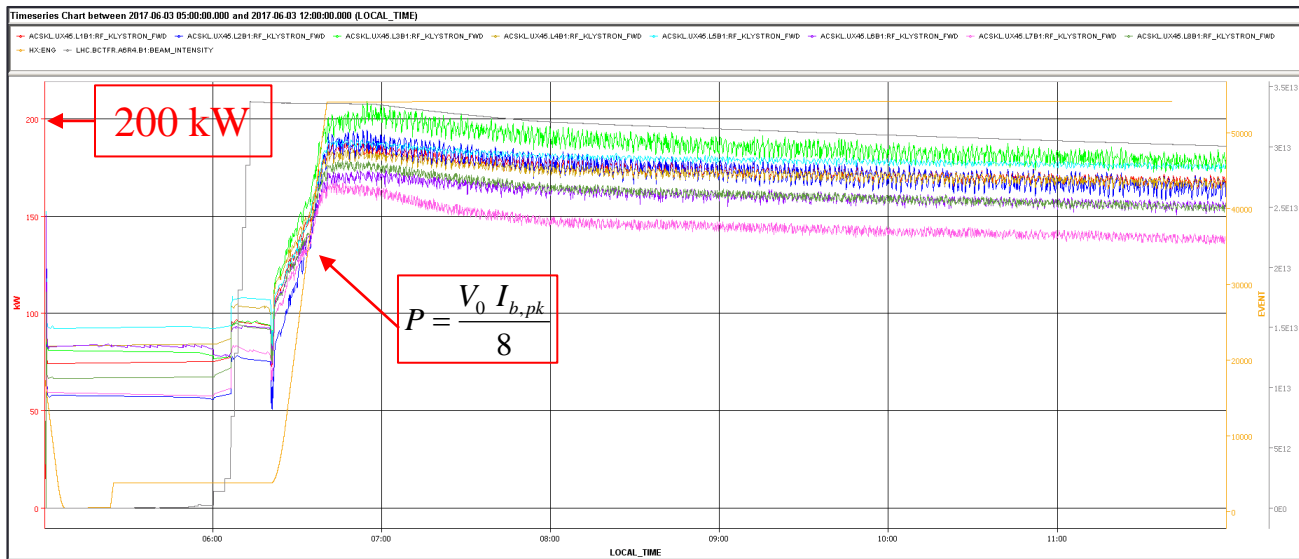
- Then the power is constant and **independent of beam current...Great!**

$$P(t) = \frac{V_0^2}{8R/Q Q_L}$$

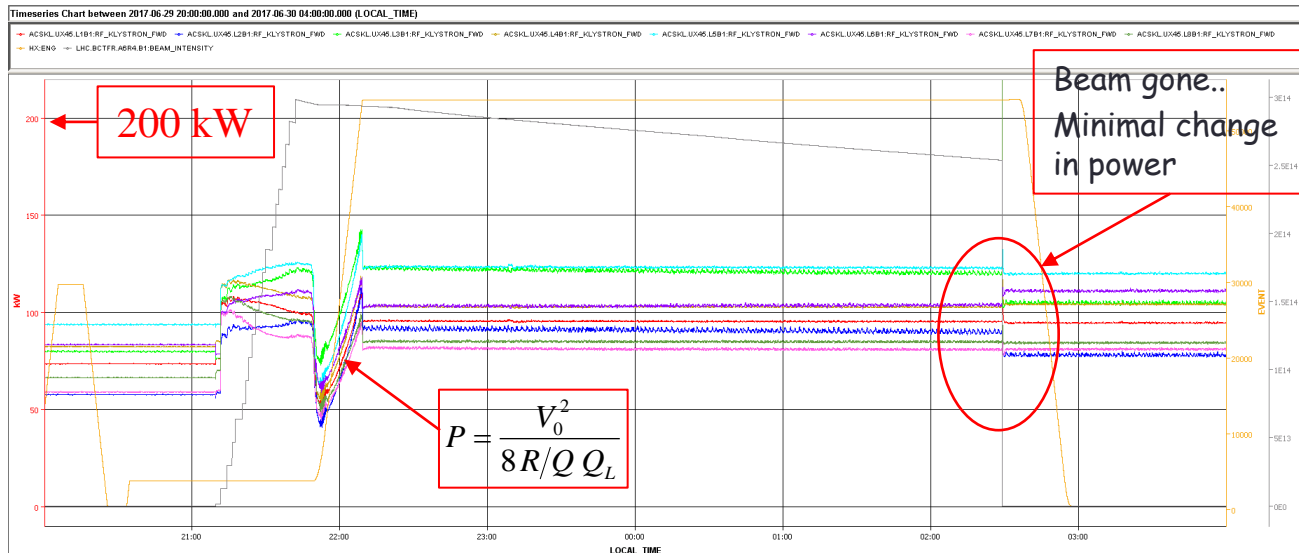


Calculated cavity phase slippage for nominal beams in physics. Fill 5864

Mean power during fill



- Top: Fill 5737
 - Old scheme
 - Power increases during ramp
 - Noise ripples caused by the beam/no beam transients
 - Power scales as beam current -> **190 kW at 1.5 MV, 0.5 A DC**



- Bottom Fill 5887
 - New scheme
 - Power independent of beam current
 - Very small power change following beam dump
 - Power scales quadratically with beam voltage-> **104 kW at 1.5 MV, Q_L=60k**

Iterative algorithm

- We have implemented an iterative method that adapts to slowly changing conditions (ramp, decreasing intensity in physics, change of bunch length -> Effect on RF component of beam current) [8].
- We use Steepest Descent algorithm, that is we apply small corrections proportional to the gradient of the power w.r.t. the derivatives of the phase modulation. Time index n , iteration index k

$$\dot{\phi}_{k+1,n} = \dot{\phi}_{k,n} + \alpha \frac{\partial P_{k,n}}{\partial \dot{\phi}_{k,n}}$$

Phase modulation derivative. Iteration k+1

Phase modulation derivative. Iteration k

Klystron current (coupler in WG)

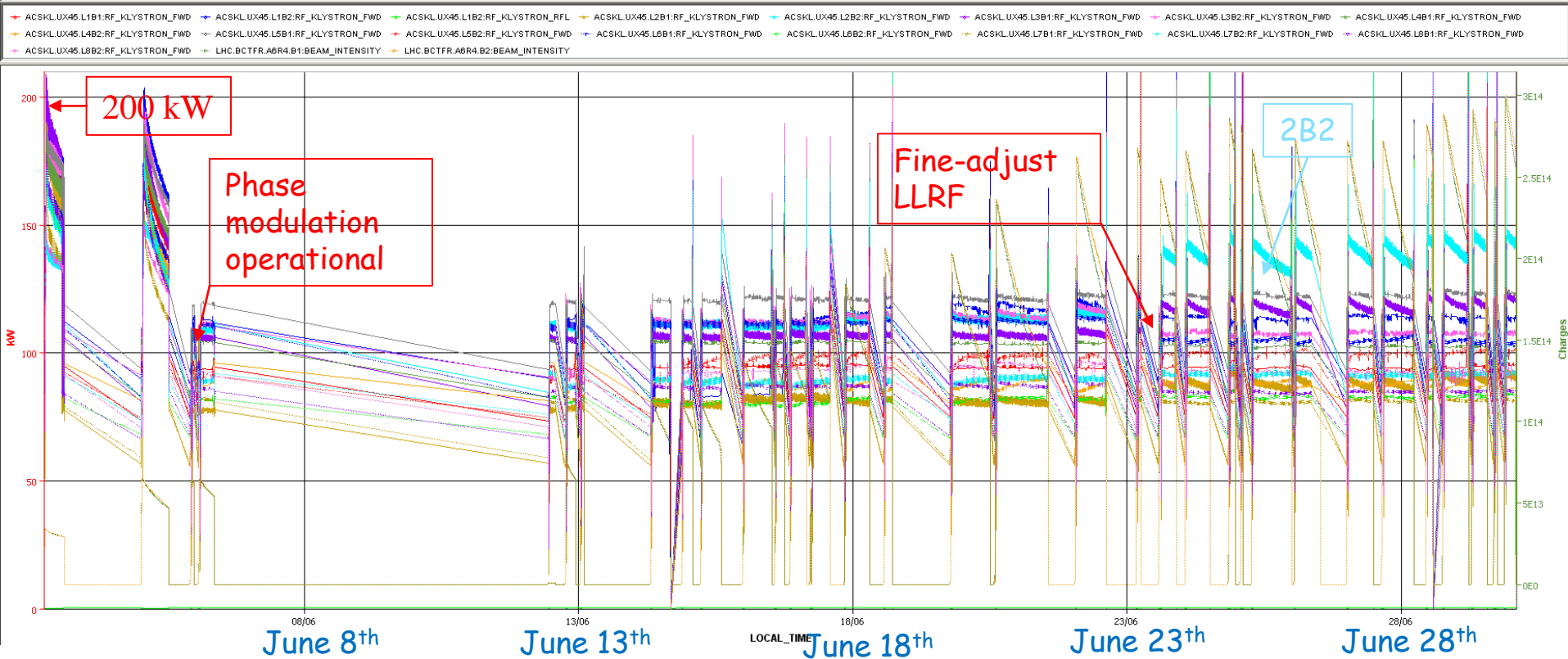
Cavity voltage (Antenna)

$$\dot{\phi}_{k+1,n} = \dot{\phi}_{k,n} + \alpha \frac{\omega R/Q}{V_0^2} \text{Im} [I_{g,n} \text{conj}[V_n]]_k$$

- The correction is proportional to the sine of the phase difference between klystron current and cavity voltage. We update the derivative of the phase modulation
- Then we integrate the derivative over 1 turn and remove the mean, that will be adjusted by the tuning.

RF Performances

Timeseries Chart for multiple windows



- Voltage phase modulation switched ON June 4th, 2017
- Above plot shows the power of all klystrons, plus beam intensity for all fills that made it to physics (injphys, preramp, ..., stable), from June 3rd till now
- All klystron power below 120 kW (except 2B2, @ 140 kW)

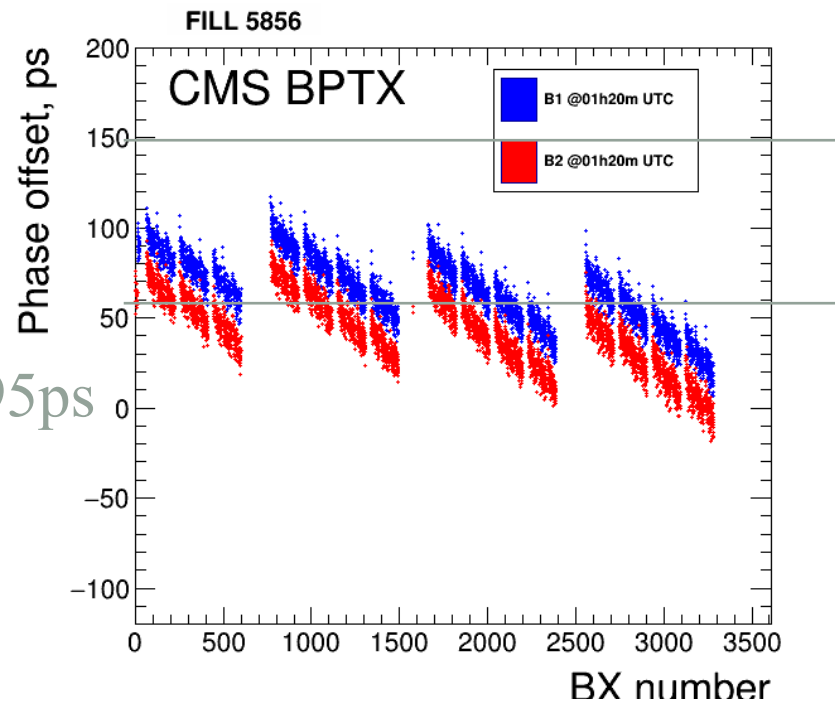
CMS feedback

Courtesy of C. Schwick, J. Boyd, LHC Physics coordinators

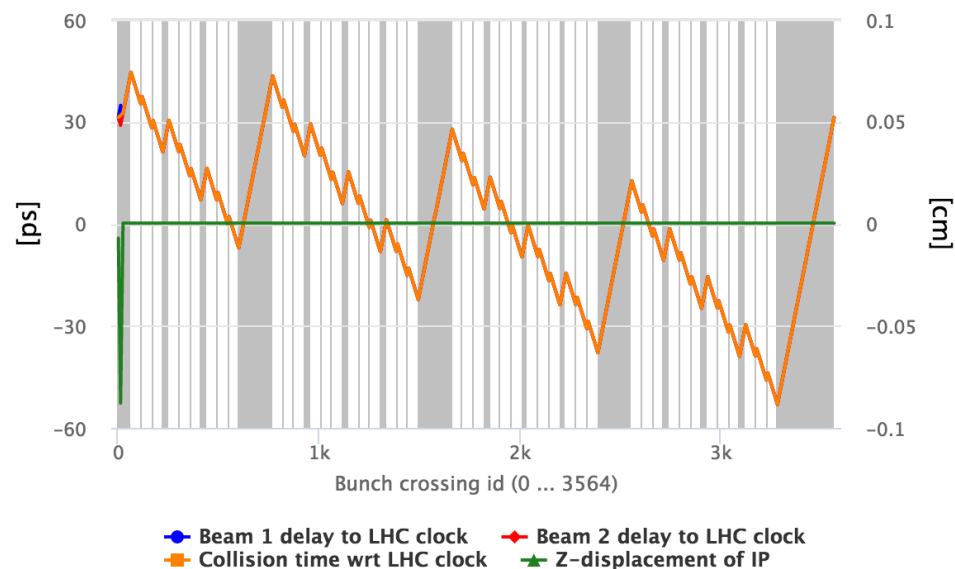
Fill 5856

(25ns_2173b_2161_1872_1962_144bpi_17inj)

- Time of collision modulation measurement: $\Delta \approx 95\text{ps}$
prediction: $\Delta = 97\text{ps}$



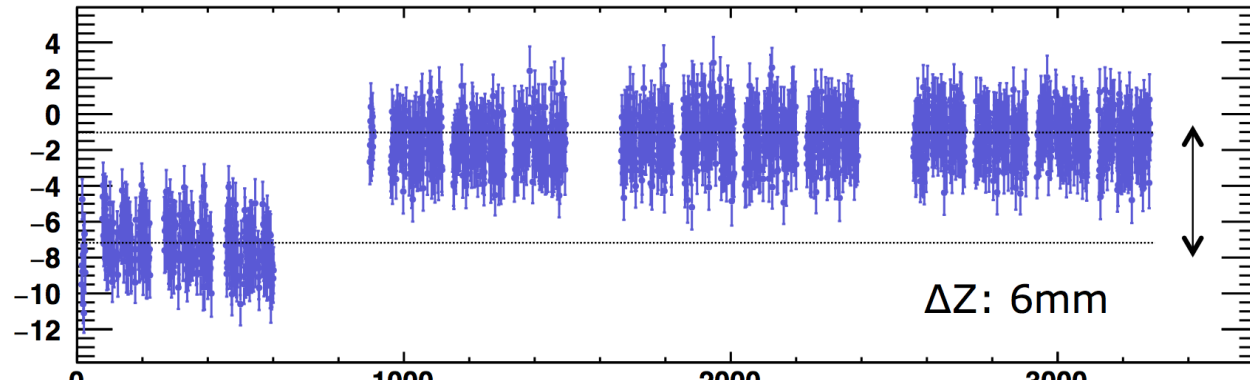
IP1/5 phase related data



Feedback: LHCb

Courtesy of C. Schwick, J. Boyd, LHC Physics coordinators

PV_z (mm)



IP8 phase related data

ID

Fill 5856

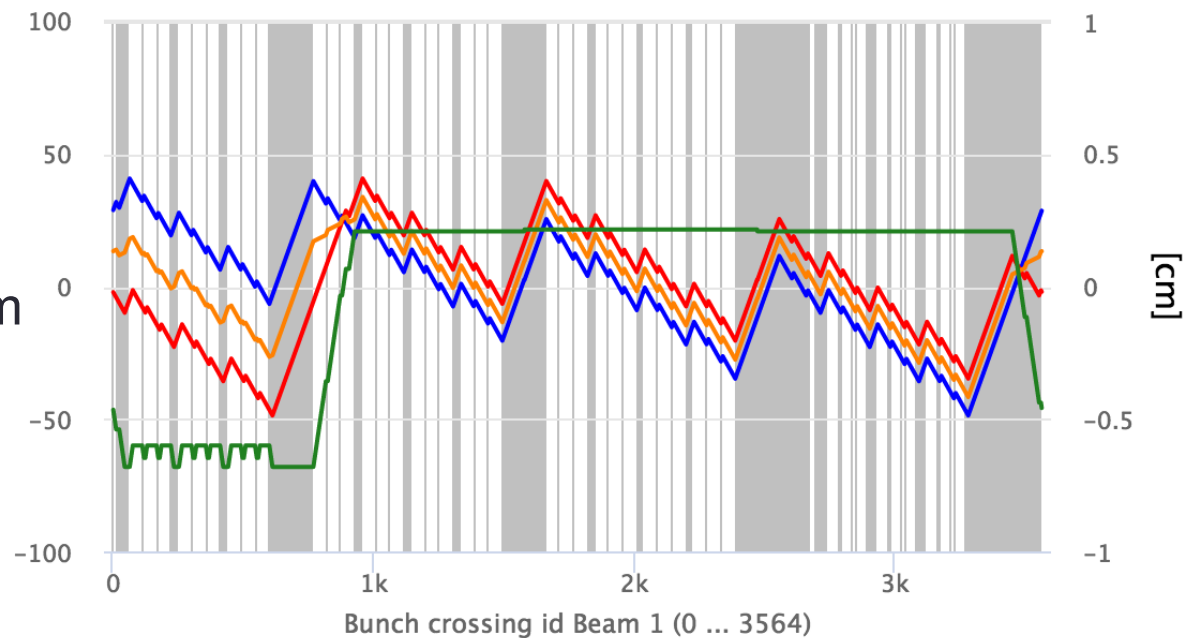
25ns_2173b_2161_1872_1962_144b_17inj

- LHCb measures a shift of the vertex position in z

Agreement within 15%

measurement: $\Delta \approx 6\text{mm}$

prediction: $\Delta = 7.1\text{mm}$



Conclusions

- With the old scheme, the LHC klystrons are close to saturation with 0.5 A DC and will not cope with the HiLumi intensity
- The Voltage Phase Modulation scheme is a very attractive alternative to the Fixed Voltage (also called Half Detuning) scheme used from LHC start-up till June 4th, 2017
- It provides the same performance in terms of Beam Stability caused by cavity impedance at fundamental
- It gives the same uniform bunch parameters: RF limit on momentum aperture, synchrotron frequency, bucket area (longitudinal stability)
- But it introduces a small modulation of bunch spacing, in the order of 70 ps pk-pk over one turn for a *full* machine-> some effects on Time of collision and z-vertex, observed by the experiments [8]
- Full Detuning is in operation since Fill 5742 (June 4th)
- The algorithm automatically adjusts to filling pattern, bunch intensity, bunch length
- The required klystron power is close to the theoretical no-beam value. Very encouraging for HiLumi

$$P = \frac{V_0^2}{8R/Q Q_L}$$

References

- [1] E. Shaposhnikova et al., Loss of Landau damping in the LHC, IPAC 2011
- [2] J.F. Esteban-Muller et al., LHC Longitudinal single bunch Stability threshold, CERN-ACC-NOTE-2016-0001
- [3] H. Damerau et al., Longitudinal Coupled-Bunch instabilities in the CERN PS,PAC 2007
- [4] D. Boussard, Control of Cavities with High Beam Loading, IEEE Transactions on Nuclear Science, Vol NS-32, No5, Oct 1985
- [5] D. Boussard, RF Power Requirements for a High Intensity Proton Collider, PAC 1991
- [6] T. Mastoridis, P. Baudrenghien, J. Molendijk, A Cavity Voltage Phase Modulation to Reduce the HL-LHC RF Power Requirements, submitted to PRAB
- [7] J. Tuckmantel, Cavity-Beam-Transmitter Interaction Formula Collection with Derivation, CERN-ATS-Note-2011-002 TECH
- [8] T. Mastoridis, P. Baudrenghien, J. Molendijk, Cavity Voltage phase modulation to reduce the high-luminosity LHC rf power requirements, PRAB 20, 101003 (2017)

Additional material

Implementation

Apply phase modulation to set-point

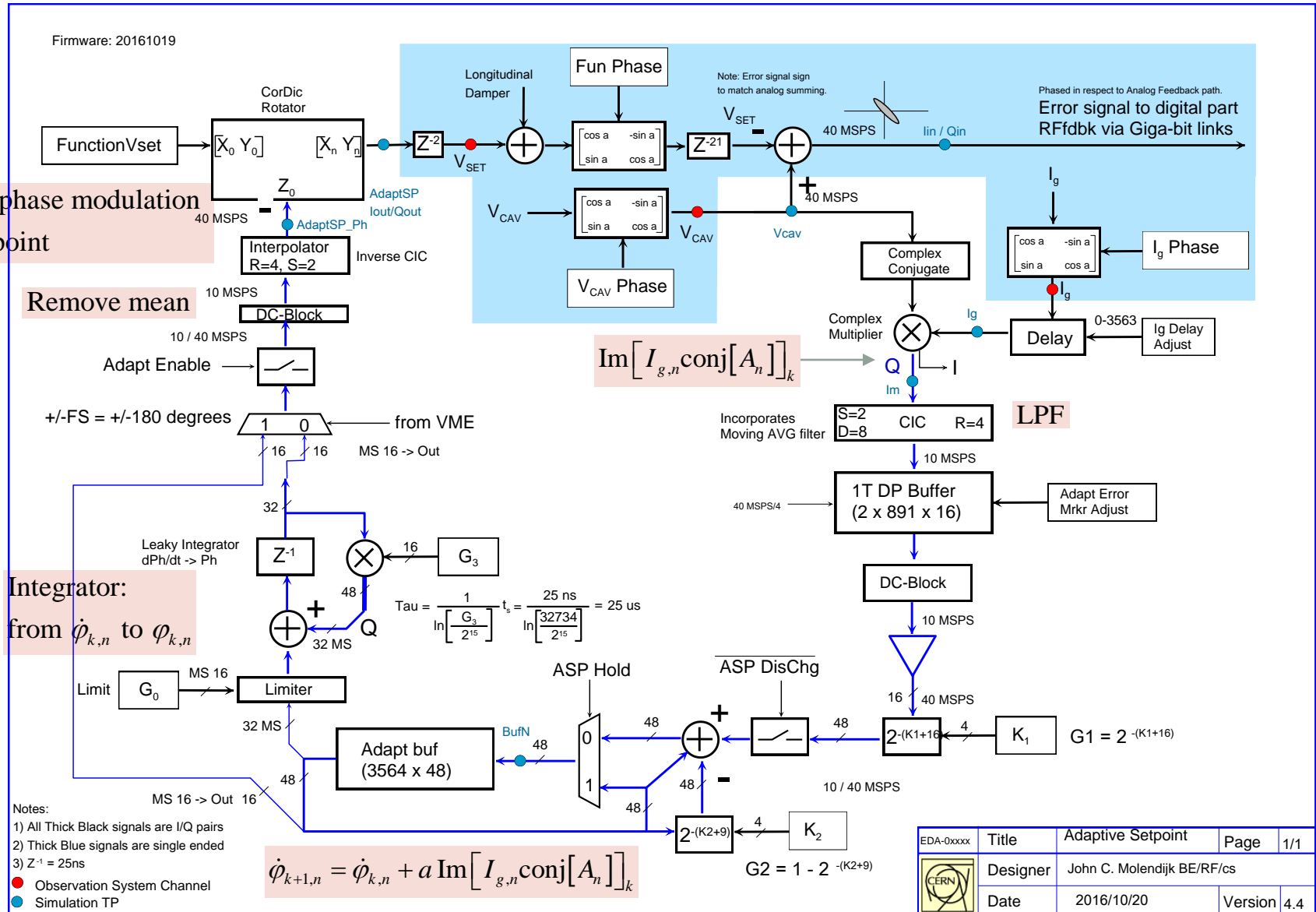
Remove mean

Integrator:

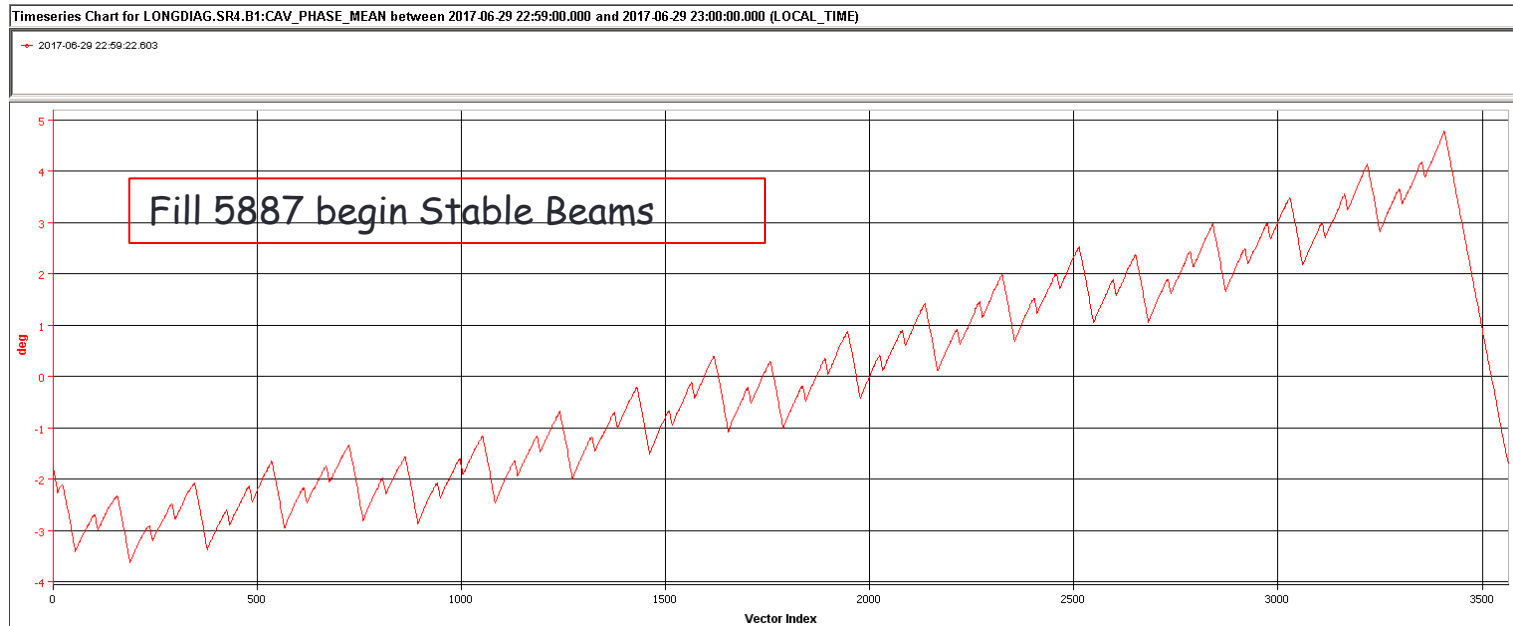
from $\dot{\phi}_{k,n}$ to $\phi_{k,n}$

- Notes:
- 1) All Thick Black signals are I/Q pairs
 - 2) Thick Blue signals are single ended
 - 3) Z^{-1} = 25ns
- Observation System Channel
 - Simulation TP

$$\dot{\phi}_{k+1,n} = \dot{\phi}_{k,n} + a \operatorname{Im} [I_{g,n} \operatorname{conj} [A_n]]_k$$



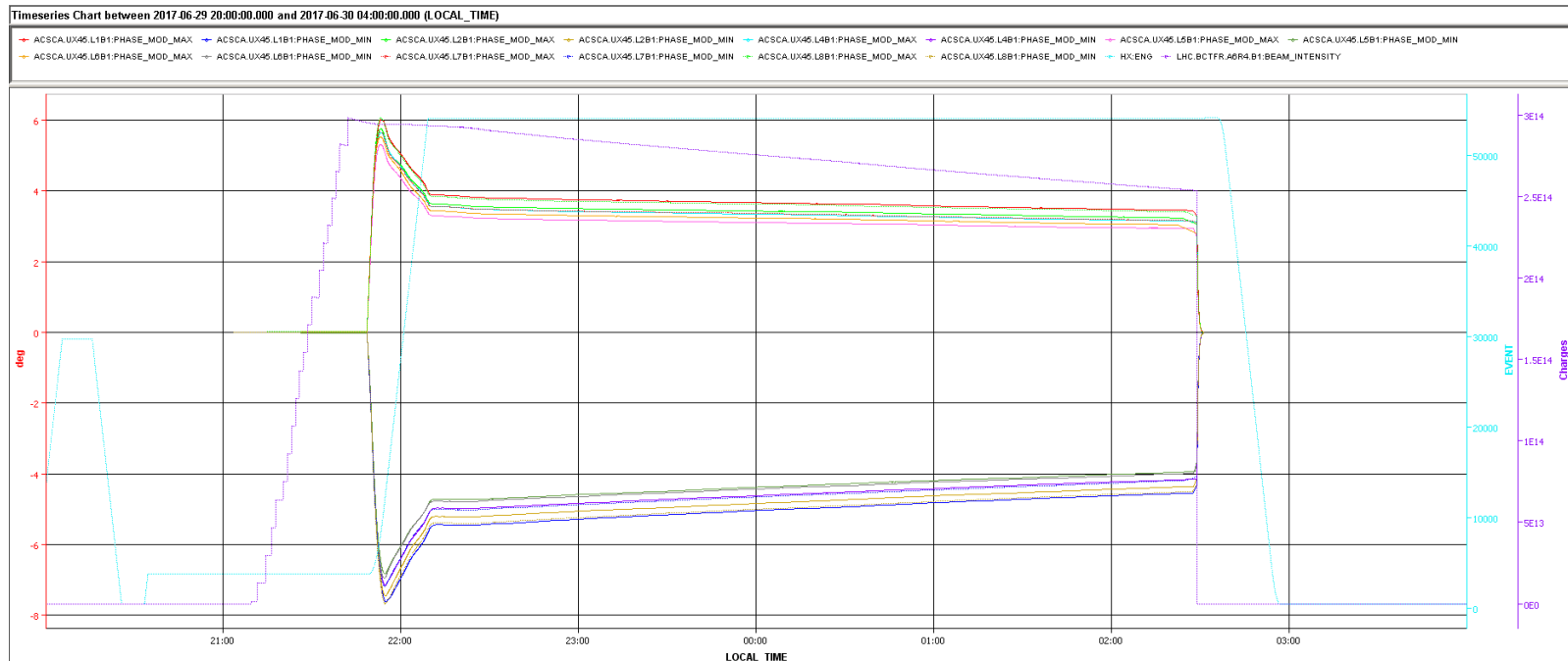
RF phase modulation



- CavityPhaseMeanB1, B2
 - Phase of the vectorial sum of the 8 cavities of each beam, in RF degrees at 400.8 MHz

In operation

- Filling is done with phase modulation OFF (sequencer driven)
- Phase modulation is switched ON before start ramp (sequencer driven)
- It then tracks the acceleration ramp (change of voltage), with very slow adaptation (time constant > 30 seconds, *adiabatic* to the beam, and slower than tuner reaction ~1s)
- It stays ON till dump, adapting to the variation of bunch intensity (and length).



Phase modulation Min-Max for the 8 cavities Beam 1. Fill 5887